

Geometrical approach to scattering in one dimension

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Corrigendum

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D W L Sprung, G V Morozov and J Martorell 2004 *J. Phys. A: Math. Gen.* **37** 1861–1880

Equation (4) as printed is correct for the case of a reflection symmetric cell. For a general cell it should say only

$$\omega = \frac{r/t + z/t^*}{1/t + zr^*/t^*}. \quad (4)$$

The third line below should end saying "... with $-rt^*/t$ becoming the origin, ...".

The authors regret that equations (7) and (12) were printed incorrectly. They should read

$$MU = U e^{-i\phi\sigma_z}, \quad \text{where}$$

$$U = \begin{pmatrix} e^{-i\chi/2} \cosh \mu/2 & e^{-i\chi/2} \sinh \mu/2 \\ e^{i\chi/2} \sinh \mu/2 & e^{i\chi/2} \cosh \mu/2 \end{pmatrix} \quad (7)$$

$$\cos \phi = \frac{\sin(kd + \beta)}{\sin \beta};$$

$$r = -\frac{1}{1 - i/\alpha} e^{ikd} = -\frac{1 + i \tan \beta}{1 + \tan^2 \beta} e^{ikd} = -\frac{\alpha}{\sqrt{1 + \alpha^2}} e^{i(kd + \beta)} = -\cos \beta e^{i(kd + \beta)}. \quad (12)$$